

## General pointers on normal table lookups

**The table is used in 2 different ways, depending on the problem you want to solve:**

- (1) Given a z-score, lookup what proportion of the distribution is to the left.
- (2) Given a proportion of the distribution (measured from the left), lookup the z-score where it occurs.

**It helps to keep the following in mind:**

- \* The table expresses all proportions as fractions (not %).
- \* The total proportion of everything under the normal curve is 1.0 (i.e., 100%).
- \* Proportion to the right of a z-score =  $1.0 -$  proportion to the left.
- \* The normal curve is perfectly symmetric, and centered at 0. You can exploit this knowledge & take many short-cuts. E.g., Proportion to the right of  $z=1.2$  is same as proportion to the left of  $z=-1.2$ .
- \* Another helpful use of symmetry: If a z-score is negative, the proportion must be below 0.5. If a z-score is positive, the proportion must be larger than 0.5.

**Basic table layout:**

- \* This table accepts z-scores with 2 decimals, and expresses proportions using 4 decimals.
- \* The bulk of the "interior" of the table consists of 4-digit values that are proportions.
- \* The vertical column at the ends of the table shows z-scores upto the first decimal place. The top row of the table shows the 2nd decimal place.

**Example:**

- \* Find the % of the normal distribution that is below  $z=1.26$ .
- \* Method: First, find the row with  $z=1.2$ . Then move horizontally to the column that reads 0.06 in the top row. The 4-digit number in that position is 0.8962. Answer: 89.62% of the normal distribution lies below  $z=1.26$ .

**Example:**

- \* Find the z-score where 34% of the normal distribution is to the left.
- \* Method: Start in the interior of the table and look for the 4-digit number closest to 0.34. Once you find this, read the z-score at that position. Answer: The closest value to 0.34 is 0.3409, so the required z-score is -0.41.